# Standardized abundance index for recruitment of chub mackerel from Northwest Pacific summer surveys up to 2023 

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## Summary

- We conducted CPUE standardization of surface trawl surveys in summer for Pacific chub mackerel using the Vector Autoregressive Spatio-Temporal (VAST) model.
- We estimated local densities of young-of-the-year fish in the Northwest Pacific from 2002 to 2023 with consideration for environmental factors of sea surface temperature (SST) and 50mdepth temperature as well as spatial autocorrelation
- The analysis showed high levels of recruitment index have frequently occurred since 2013
- Model diagnostics found no serious problems in residual patterns.
- We propose this standardized recruitment index to be used as the abundance index of age 0 fish in the Technical Working Group for the Chub Mackerel Stock Assessment (TWG CMSA).


## Summer surveys by Japan

Fig. 1A


- Japan (FRA) has conducted sea surface trawl surveys in the Northwest Pacific Ocean from June to July annually to collect biological and abundance information on small pelagic fish
- The standardized CPUE (catch number divided by sweeping time) of age 0 fish of CM has long been used as a recruitment index in the Japanese domestic stock assessment


## Changes since the last document

|  | Previous WP | Current WP |
| :---: | :---: | :---: |
| Model | Delta-GLM-tree <br> (Hashimoto et al. 2019) | VAST <br> (Thorson et al. 2019) |
| Environmental covariate | SST, | Principal components |
| 50m-depth temperature (T50) | (PC1, PC2) |  |
| Years | $2002-2021$ | 2002-2023 |

- A previous paper showed that VAST demonstrated superior overall performance in CPUE standardization compared to generalized linear models or generalized additive models (Grüss et al. 2019)
- VAST was found to outperform the delta-GLM-tree in terms of Akaike Information Criterion (AIC) (Yukami et al. 2023)
- Used principal component analysis (PCA) to resolve a high correlation between SST and T50
- We extended the duration of years into 2023


## Table 1

| Year | Number of observations (stations) | Total sweeping time (h) | Total swept area (km²) | Total catch (ind) | Number of observations with positive catch | Percentage of positive catch (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2001 | 58 | 59.00 | 12.02 | 113.5 | 9 | 15.52 |
| 2002 | 93 | 93.00 | 18.26 | 259.0 | 17 | 18.28 |
| 2003 | 157 | 155.37 | 30.55 | 4063.8 | 15 | 9.55 |
| 2004 | 179 | 178.50 | 36.35 | 21262.5 | 24 | 13.41 |
| 2005 | 164 | 162.95 | 31.12 | 2389.0 | 16 | 9.76 |
| 2006 | 163 | 162.63 | 30.19 | 39.0 | 3 | 1.84 |
| 2007 | 155 | 154.50 | 29.58 | 36441.0 | 24 | 15.48 |
| 2008 | 169 | 169.00 | 33.08 | 6024.0 | 16 | 9.47 |
| 2009 | 168 | 168.02 | 39.43 | 5568.0 | 25 | 14.88 |
| 2010 | 126 | 126.18 | 24.88 | 2504.0 | 18 | 14.29 |
| 2011 | 97 | 97.00 | 17.48 | 363.5 | 12 | 12.37 |
| 2012 | 135 | 134.85 | 25.12 | 4745.5 | 20 | 14.81 |
| 2013 | 125 | 122.48 | 26.27 | 183151.5 | 17 | 13.60 |
| 2014 | 122 | 108.95 | 20.29 | 884.8 | 5 | 4.10 |
| 2015 | 121 | 121.00 | 22.99 | 4358.6 | 19 | 15.70 |
| 2016 | 122 | 121.47 | 22.73 | 81005.6 | 32 | 26.23 |
| 2017 | 129 | 128.65 | 24.18 | 68441.9 | 18 | 13.95 |
| 2018 | 104 | 97.93 | 18.74 | 192845.9 | 23 | 22.12 |
| 2019 | 134 | 134.00 | 28.27 | 9998.5 | 26 | 19.40 |
| 2020 | 67 | 66.20 | 11.53 | 29231.4 | 28 | 41.79 |
| 2021 | 143 | 136.45 | 32.21 | 250694.6 | 60 | 41.96 |
| 2022 | 156 | 154.61 | 30.76 | 100144.9 | 55 | 35.26 |
| 2023 | 143 | 142.77 | 28.44 | 41228.2 | 53 | 35.33 |

- 100~300 individuals of 'mackerel' (chub + blue) were sampled per station, when more than 100 individuals were caught, for species identification and length measurement
- More than 100 stations except for 2001, 2002, 2011, 2020
- Sweeping time is almost one hour
- Percentages of positive catch were low than $30 \%$ until 2019, but became higher than 35\% thereafter


## Filtering rule

| Filter Applied | Number of <br> Records <br> Remaining | Number <br> Removed | Number of Records <br> with Chub Mackerel <br> Catch $>0$ |
| :--- | :---: | :---: | :---: |
| Initial Data set | 3,030 | - | 535 |
| Remove data in 2001 | 2,972 | 58 | 526 |
| Remove data with no SST | 2,970 | 2 | 526 |
| Remove data with no 50m-depth temperature | 2,916 | 54 | 524 |

- Removed the samples of 2001 from analyzed data because the number of stations and covered range in the beginning year were small $(N=58)$
- Removed samples with no SST $(N=2)$ or 50 m -depth temperature $(N=54)$
- The final sample size was 2,916


## Map of catch and CPUE of age-0 CM fish

Fig. 1B: Catch


Fig. 1C: CPUE


- Catch and CPUE patterns are quite similar because of effort is almost 1 (hour)
- Age 0 fish of CM were likely to be caught in southern areas


## Principal component analysis (PCA)

Fig. 2


- In situ SST and T50 were highly correlated with $\mathrm{r}=0.69$ of Pearson's correlation coefficient
- Such collinearity in multiple regression models could destabilize parameter estimates and prediction to new data, suggesting that it might be problematic in the interpretation of results and model predictions in CPUE standardization
- Conducted the PCA and used PC1 and PC2 calculated from the analysis as orthogonal covariates
- PC1 was negatively correlated with SST and T50, indicating a common component of SST and T50.
- PC2 was positively correlated with SST but negatively with T50, reflecting a difference between SST and T50.
- The proportion of variance of PC1 and PC2 were $84.3 \%$ and 15.7\%, respectively


$\frac{0}{\frac{3}{5}}$



Fig. 3

SST, T50, PC1, and PC2 did not show any systematic patterns over the years

## Spatial patterns of SST and T50 in each year

Fig. 4A


Fig. 4B


- SST and T50 tended to be higher in the south than in the north


## Spatial patterns of PC1 and PC2 in each year

Fig. 4C


Fig. 4D


- PC1, which was negatively correlated with SST and T50, was thus higher in the north
- PC2 tended to be higher off the Pacific coast of Japan


## Model description of the VAST

$1^{\text {st }}$ predictor for encounter probability $p_{1}(i)=\beta_{1}\left(t_{i}\right)+\omega_{1}\left(s_{i}\right)+\varepsilon_{1}\left(s_{i}, t_{i}\right)+\sum_{k_{1}}^{n_{k 1}} \lambda_{1}\left(k_{1}\right) Q_{i}\left(i, k_{1}\right)$
$2^{\text {nd }}$ predictor for positive catch rate when encountered
$p_{2}(i)=\underbrace{\beta_{2}\left(t_{i}\right)}_{\text {temporal }}+\underbrace{\omega_{2}\left(s_{i}\right)}_{\text {spatial }}+\underbrace{\varepsilon_{2}\left(s_{i}, t_{i}\right)}_{\begin{array}{c}\text { spatio- } \\ \text { temporal }\end{array}}+\underbrace{\sum_{k_{2}}^{n_{k 2}} \lambda_{2}\left(k_{2}\right) Q_{i}\left(i, k_{2}\right)}_{\begin{array}{c}\text { catchability } \\ \text { covariate }\end{array}}$

The encounter probability transformed the inverse function of logit link

The positive catch rate transformed the inverse function of $\log$ (i.e., exp)

The probability density function

$$
\begin{aligned}
& r_{1}(i)=\operatorname{logit}^{-1} p_{1}(i), \\
& r_{2}(i)=a_{i} \times \log ^{-1} p_{2}(i) . \quad\left(a_{i}=1 \text { in this study }\right)
\end{aligned}
$$

## Binomial model <br> $\downarrow$

$$
\operatorname{Pr}\left(b_{i}=B\right)=\left\{\begin{array}{cc}
1-r_{1}(i) & \text { if } B=0 \\
r_{1}(i) \times g\left\{B \mid r_{2}(i), \sigma_{m}^{2}\right\} & \text { if } B>0
\end{array}\right.
$$

Function for Gamma distribution

## Used covariates and other settings

Table 3

| Variable | Symbol $^{1}$ | Number of <br> categories | Detail | Note |
| :---: | :---: | :---: | :--- | :--- |
| Year | $\beta(t)$ | 22 | $2002-2023$ | Categorical variable with fixed <br> effect <br> Spatial |
| Spatio- <br> temporal | $\omega(s)$ | - | Average over years | Estimated as random effects by <br> SPDE approximation |
| PC1 | $\left.\lambda(k) Q_{i}(i, k)\right)$ | - | Assume independence <br> of each year <br> Negative correlation <br> for SST and T50 | Estimated as random effects by <br> SPDE approximation <br> Continuous variable as a <br> catchability covariate |
| PC1 squared | $\left.\lambda(k) Q_{i}(i, k)\right)$ | - | Squared PC1 | Continuous variable as a <br> catchability covariate |
| PC2 | $\left.\lambda(k) Q_{i}(i, k)\right)$ | - | Positive correlation for <br> SST and negative <br> correlation for T50 | Continuous variable as a <br> catchability covariate |
| PC2 squared | $\left.\lambda(k) Q_{i}(i, k)\right)$ | - | Squared PC1 | Continuous variable as a <br> catchability covariate |
| PC1 X PC2 | $\left.\lambda(k) Q_{i}(i, k)\right)$ | - | Interaction between the <br> two PC axes | Continuous variable as a <br> catchability covariate |

- The number of knots was set as 100
- The effect of year was estimated as a categorical variable by fixed effects
- PC1, PC2, their squared terms, and their $1^{\text {st }}$ order interaction were treated as catchability covariates because it was assumed that they reflected local conditions at observation affecting catchability rather than abundance of the year


## Model selection

Table 4

| Rank | PC1 | PC1 <br> squared | PC2 | PC2 <br> squared | PC1 $\times$ PC2 | Df | logLik | AICc | $\Delta$ AICc |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | B,G | B | B,G | B | B | 58 | -4245.74 | 8609.88 | 0.00 |
| 2 | B,G | B | B,G | B,G | B | 59 | -4244.84 | 8610.17 | 0.28 |
| 3 | B,G | B,G | B,G | B | B | 59 | -4245.13 | 8610.73 | 0.85 |
| 4 | B,G | B,G | B,G | B,G | B | 60 | -4244.28 | 8611.13 | 1.24 |
| 5 | B,G | B | B,G |  | B | 57 | -4247.43 | 8611.17 | 1.29 |
| 6 | B,G | B | B,G | G | B | 58 | -4246.53 | 8611.45 | 1.57 |
| 7 | B,G | B | B,G | B,G | B,G | 60 | -4244.62 | 8611.80 | 1.92 |
| 8 | B,G | B | B,G | B | B,G | 59 | -4245.74 | 8611.96 | 2.08 |
| 9 | B,G | B,G | B,G |  | B | 58 | -4246.81 | 8612.02 | 2.13 |
| 10 | B,G | B,G | B,G | G | B | 59 | -4245.97 | 8612.41 | 2.53 |
| 11 | B,G | B,G | B,G | B | B,G | 60 | -4244.96 | 8612.49 | 2.61 |
| 12 | B,G | B | B,G | G | B,G | 59 | -4246.30 | 8613.09 | 3.20 |
| 13 | B,G | B,G | B,G | B,G | B,G | 61 | -4244.27 | 8613.19 | 3.30 |
| 14 | B,G | B | B,G |  | B,G | 58 | -4247.43 | 8613.25 | 3.36 |
| 15 | B,G | B,G | B,G |  | B,G | 59 | -4246.65 | 8613.77 | 3.89 |
| 16 | B,G | B,G | B,G | G | B,G | 60 | -4245.95 | 8614.47 | 4.59 |
| 17 | B,G | B | B | B | B | 57 | -4251.96 | 8620.24 | 10.36 |
| 18 | B,G | B,G | B | B | B | 58 | -4251.46 | 8621.31 | 11.43 |
| 19 | B,G | B | B |  | B | 56 | -4253.65 | 8621.53 | 11.64 |
| 20 | B | B | B,G | B | B | 57 | -4252.66 | 8621.64 | 11.76 |

- Model selection was conducted using exhaustive search based on Akaike Information Criterion with correction (AICc).
- All the covariates were selected for encounter probability (B) in the top four models
- The linear effects of PC1 and PC2 were only selected for positive catch rate when encountered ( $G$ ) in the best model
- The percent deviance explained was 57.5\%.


## Model diagnostics for scaled residuals

- Generated scaled residuals using the R package 'DHARMa' (Hartig 2022) for model diagnostics
- This package enables to simulate the scaled residuals which should theoretically follow the uniform distribution from zero to one


The averages were not deviated from the theoretical average (0.5) in response to predicted
Fig. 6 values and covariates



## Map of scaled residuals in each year

Fig. 7


No systematic spatial patterns in scaled residuals

## Map of estimated densities

Fig. 8


- Local densities were estimated from the product of encounter probability and positive catch rate when encountered

$$
d(s, t)=r_{1}^{*}(s, t) \times r_{2}^{*}(s, t)
$$

- The terms of catchability covariates were dropped off (assuming $\lambda=0$ )
- Estimated densities of YOY fish were low until 2012, but increased thereafter
- The centroid of fish distributions was relatively constant over the years, averaging $157.4^{\circ} \mathrm{E}$ and $39.2^{\circ} \mathrm{N}$


## Relationships between covariates and CPUE

Fig. 9: Partial dependence plots


Concave-down responses of encounter probability to PC1 and PC2
Linear relationship of positive CPUE to PC1 and PC2
Assuming that the original variables SST and T50 change "independently," the responses to changes in each variable were examined

SST had a greater influence than T50.
The probability of positive catch peaked around $17.5^{\circ} \mathrm{C}$ for SST, The overall CPUE is highest at temperatures exceeding $20^{\circ} \mathrm{C}$.

## Yearly trends of nominal and standardized CPUE




- Standardized CPUE remained low until 2012, but high values were frequently observed since 2013
- Especially in 2013, 2018, and 2021, the values were the highest, but compared to those, the values for the past two years (2022-2023) are not as elevated
- The yearly trend of the standardized CPUE was not greatly different from that of the nominal CPUE


## Values and uncertainties of the nominal and standardized CPUE

| Table 6 | Year | Nominal (ind/h) | Standardized (ind/h) | CV | Lower 95\%CI | $\begin{gathered} \hline \text { Upper } \\ 95 \% \text { CI } \\ \hline \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 2002 | 2.94 | 9.75 | 0.39 | 1.83 | 51.94 |
|  | 2003 | 26.22 | 5.88 | 0.35 | 1.59 | 21.72 |
|  | 2004 | 132.07 | 49.22 | 0.33 | 15.34 | 157.98 |
|  | 2005 | 15.31 | 8.85 | 0.37 | 2.01 | 39.00 |
|  | 2006 | 0.24 | 0.25 | 0.62 | 0.01 | 4.26 |
|  | 2007 | 236.63 | 45.35 | 0.34 | 11.81 | 174.17 |
|  | 2008 | 37.65 | 6.20 | 0.40 | 1.22 | 31.43 |
|  | 2009 | 33.33 | 9.85 | 0.28 | 3.75 | 25.90 |
|  | 2010 | 19.97 | 11.46 | 0.36 | 2.78 | 47.30 |
|  | 2011 | 3.75 | 2.12 | 0.36 | 0.50 | 8.90 |
|  | 2012 | 35.95 | 23.76 | 0.32 | 6.93 | 81.49 |
|  | 2013 | 1443.45 | 974.09 | 0.43 | 177.92 | 5333.00 |
|  | 2014 | 14.03 | 5.89 | 0.49 | 0.73 | 47.43 |
|  | 2015 | 36.02 | 104.11 | 0.38 | 21.78 | 497.80 |
|  | 2016 | 663.42 | 499.73 | 0.30 | 160.72 | 1553.78 |
|  | 2017 | 543.68 | 492.72 | 0.31 | 168.96 | 1436.87 |
|  | 2018 | 2382.26 | 2665.93 | 0.32 | 848.68 | 8374.38 |
|  | 2019 | 74.62 | 96.33 | 0.32 | 29.20 | 317.73 |
|  | 2020 | 443.27 | 456.79 | 0.36 | 106.64 | 1956.65 |
|  | 2021 | 2077.32 | 1898.33 | 0.25 | 777.15 | 4637.02 |
|  | 2022 | 642.11 | 250.71 | 0.24 | 104.26 | 602.90 |
|  | 2023 | 288.17 | 153.54 | 0.35 | 42.70 | 552.14 |

- The coefficient of variation (CV) of the standardized CPUE was in the range of $0.24-0.49$ for almost all years
- In 2006, when the standardized CPUE was the lowest, CV was highest (0.62)


## Recommendation

- The standardized index obtained from this analysis cover a long time series from periods of poor chub mackerel recruitment in the Pacific to times of high recruitment
- The surveys covered a broad area in the Northwestern Pacific Ocean
- The cutting-edge VAST model was used for CPUE standardization
- Model diagnostics showed favorable results
- Propose utilizing the standardized index from the summer survey as an abundance index of recruitment (the numbers of age 0 fish) for the chub mackerel stock assessment in TWG CMSA

